

# *A two component cluster survey as an efficient Cosmological probe*

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# Surveys dealing with Clusters

*(slide courtesy S. Majumdar)*

Many Surveys (**ongoing/finished, approved, proposed**)

..... for potential cluster studies:

**Red Sequence Cluster Survey**  
**Spitzer adaptation of the RCS**  
**South Pole Telescope**

**APEX-SZ**

**Atacama Cosmology Telescope**

**Blanco Cosmology Survey**

**Sunyaev-Zeldovich Array**

**XMM-LSS Serendipitous Survey**

**XMM-Cluster Survey**

**Pan-Starrs**

**Dark Energy Survey**

**Large Synoptic Survey Telescope**

**eROSITA**

**Planck**

**Dark Universe Explorer**

**Spitzer Legacy Extremely Wide Survey**

**Cluster Imaging Experiment**

**Cluster Cosmology Atacama Telescope**

**Constellation-X**

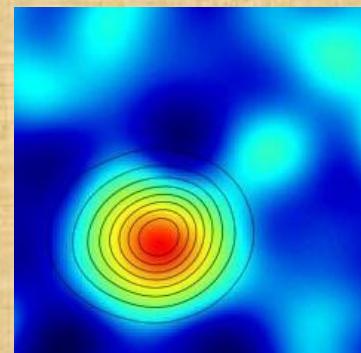
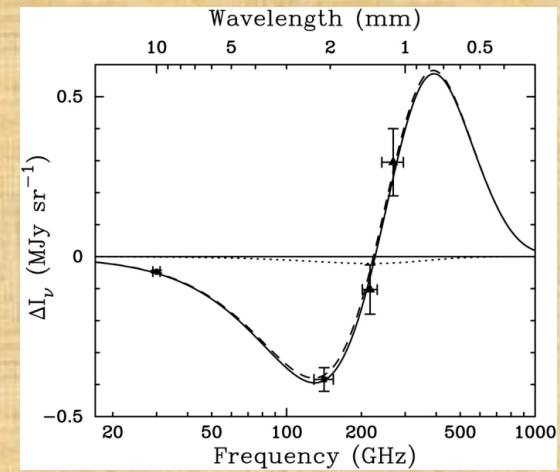
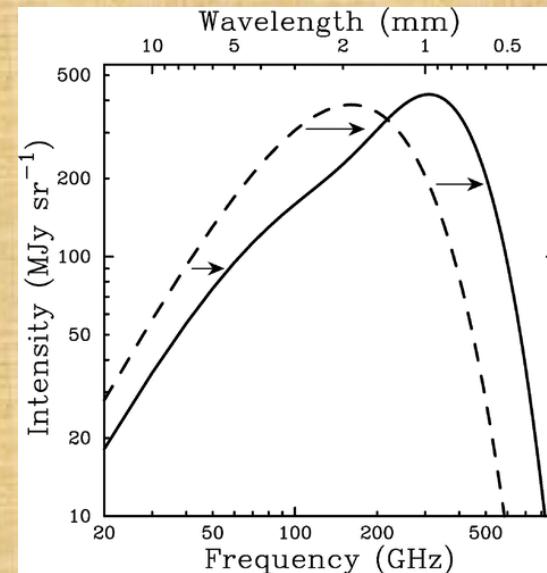
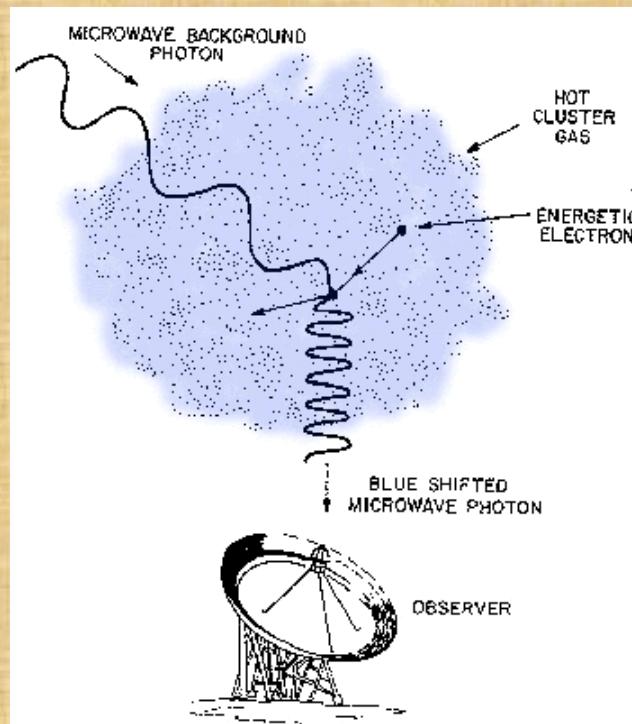
**X-Ray Evolving Universe Spectroscopy**

# Outline

1. Detecting clusters in CMB (SZ effect).
2. Clusters as Cosmological probes.
3. Using Deep + Wide Survey to break degeneracy & tighten cosmological constraints.
4. Results & Conclusion

# Observing Clusters in CMB

## The Sunyaev Zeldovich Effect



$$\Delta I_{\text{SZE}} \propto \int n_e \frac{k_B T_e}{m_e c^2} \sigma_T dl$$

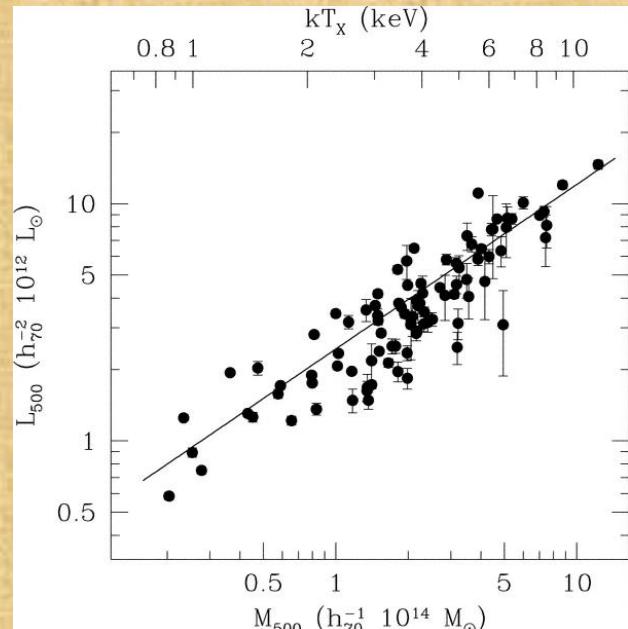
# Using cluster number counts as probes of Cosmology

$$\frac{dN}{dz}(z) = \Delta\Omega \frac{dV}{dzd\Omega}(z) \int_{M_{\text{lim}}(z)}^{\infty} \frac{dn(M, z)}{dM}$$

need to convert:  $M \rightarrow \text{observable}$ .... scaling relation

$$\text{eg: } \Delta I \sim \frac{AM_{200}^{\alpha} E^{2/3}(z)(1+z)^{\gamma}}{d_A^2(z)}$$

*Mass observable scatter ?*



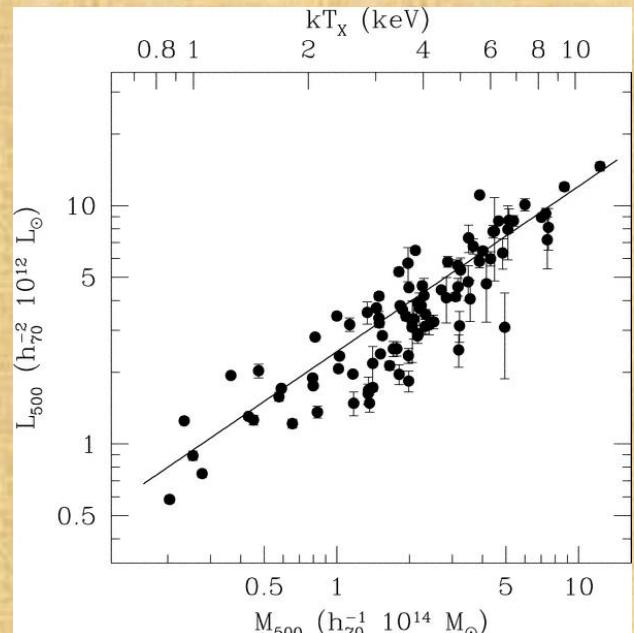
# Using cluster number counts as probes of Cosmology

$$\frac{dN}{dz}(z) = \Delta\Omega \frac{dV}{dzd\Omega}(z) \int_0^\infty \frac{dn(M, z)}{dM} f(M, z) dM$$

need to convert:  $M \rightarrow \text{observable}$ .... scaling relation

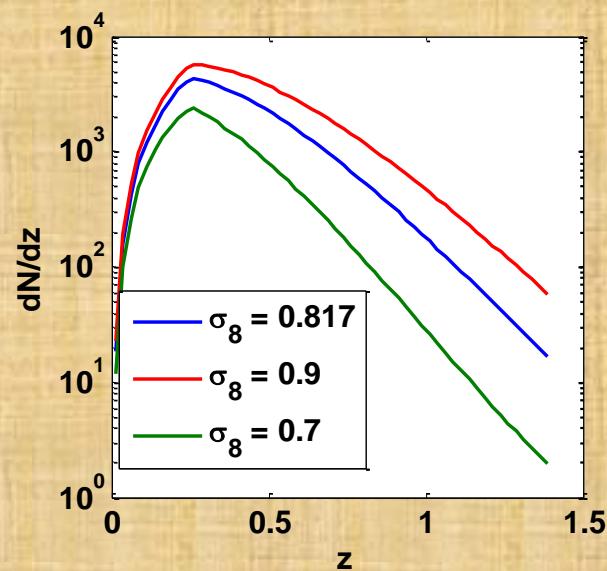
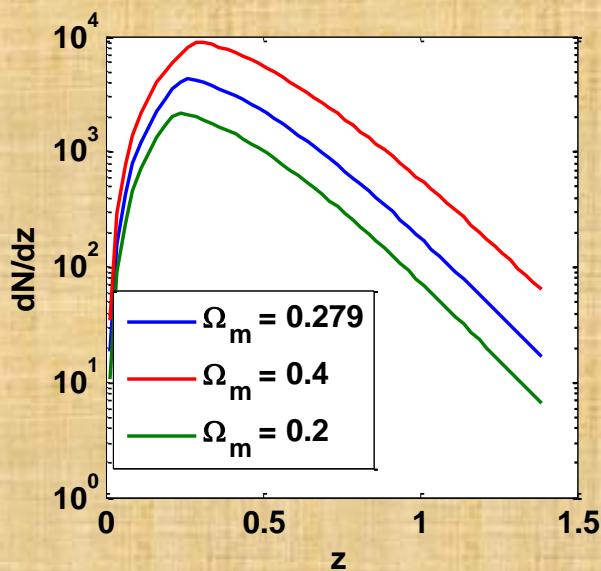
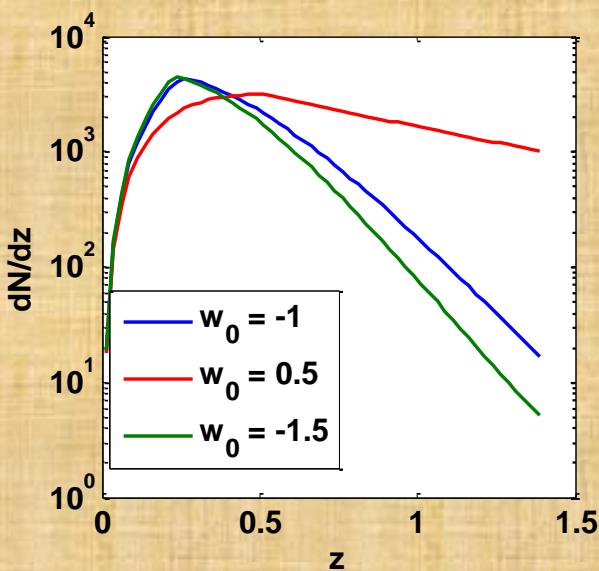
$$\text{eg: } \Delta I \sim \frac{AM_{200}^\alpha E^{2/3}(z)(1+z)^\gamma}{d_A^2(z)}$$

$f(M, z)$  can account for scatter



# Cosmology with Clusters

1. Sensitive to expansion history & growth of perturbations. Constraints on DE ( $w$ ).
2. Very sensitive to  $\sigma_8$  &  $\Omega_m$ .



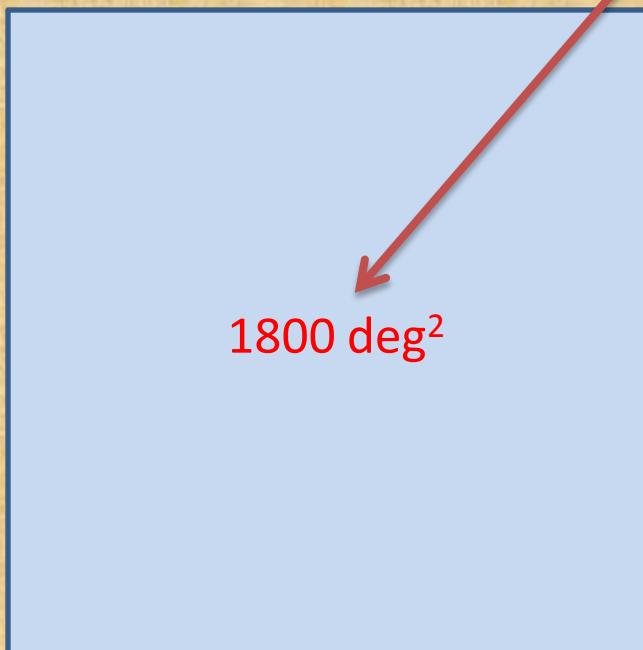
# Need for Self-calibration ?

1. Theoretical understanding of cluster physics is not complete, cannot predict values of scaling parameters.
2. Large **degeneracy** between scaling & cosmological parameters; **dilutes** cosmological constraints.
3. Need to break this degeneracy using **extra information** – follow up observations, Clustering information, SZ Power spectrum, etc.
4. We propose a **2-component survey to break the degeneracy**.

# What is a 2-component survey ?

*ACT - 2000 deg<sup>2</sup> survey with  $t_{obs} \sim 10^7 s$*

$$t_L = (1-f_{time}) * t_{obs}$$



1800 deg<sup>2</sup>

$$t_S = f_{time} * t_{obs}$$

A small light blue square representing the smaller survey component of 200 deg<sup>2</sup>. A red arrow points from the top right corner of the small square down towards the bottom left, indicating the fraction of time spent on the smaller component.

200 deg<sup>2</sup>

$f_{time}$  = fractional time spent  
on the smaller component.

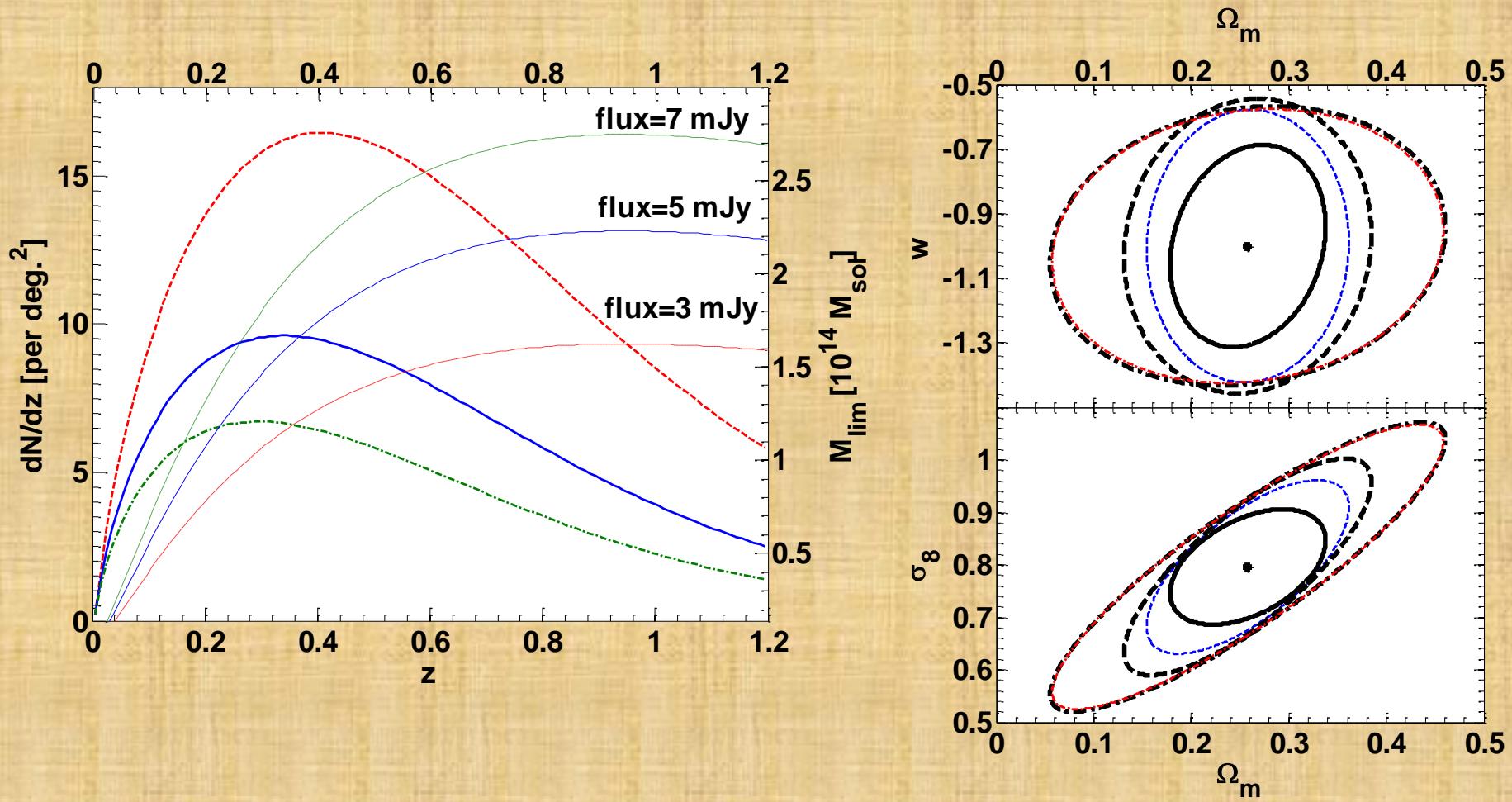
# Understanding the flux sensitivity of a survey

- The flux sensitivity of an SZ survey depends on
  - $f_{\text{sz}}$  ,  $N_{\text{dect}}$  ,  $\theta_{\text{fwhm}}$  ,  $\text{NET}(\sigma)$  ,  $t_{\text{obs}}$ , area
- The limiting flux is given by,

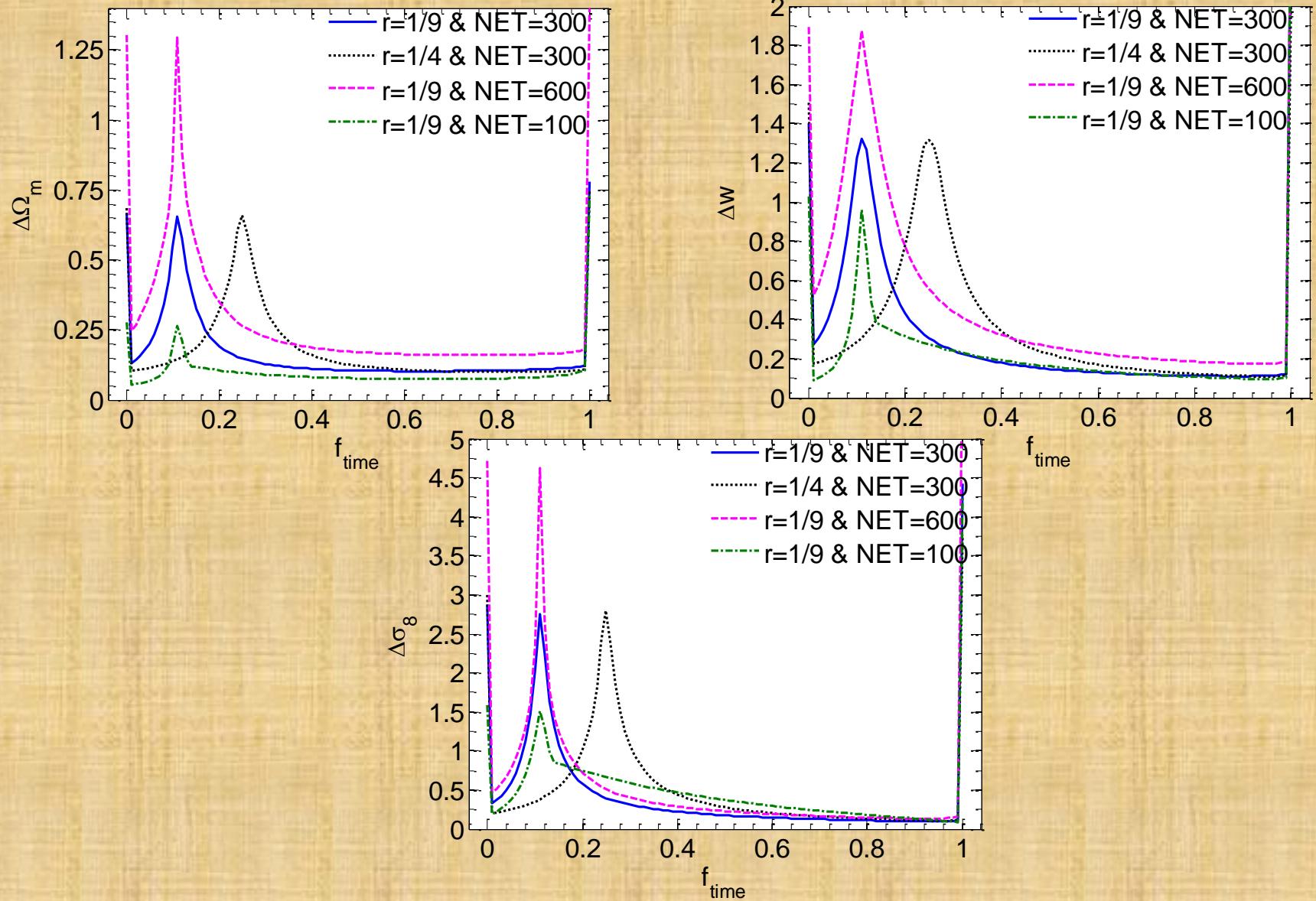
$$\Delta T = \frac{1}{\sqrt{N_{\text{detc}}}} \frac{\sigma}{\sqrt{t_{\text{pix}}}} \quad t_{\text{pix}} = \frac{t_{\text{obs}}}{\text{area} / \theta_{\text{fwhm}}^2} \quad \Delta I(\nu, T) = \frac{\delta I(\nu, T)}{\delta T} \Delta T$$

- Scanning a smaller area, for a larger time improves the flux sensitivity,
- Survey becomes *Deeper* !

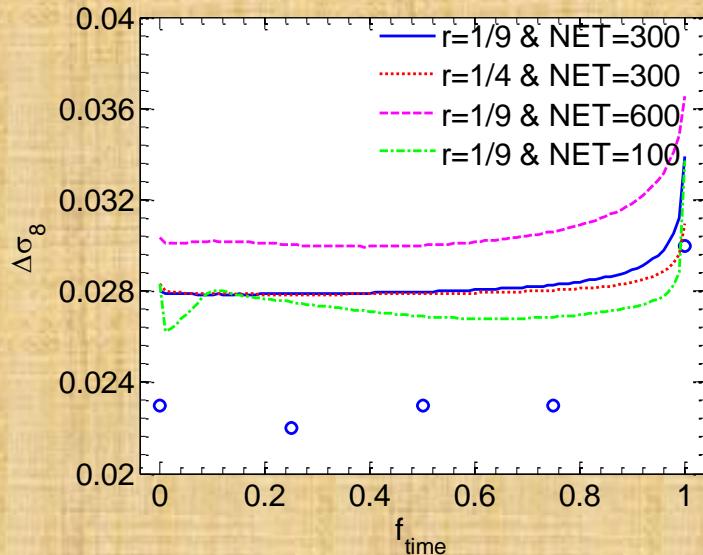
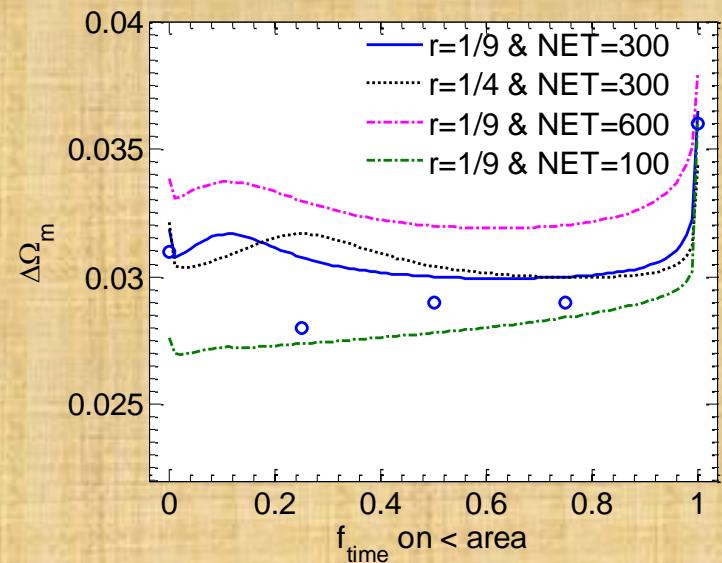
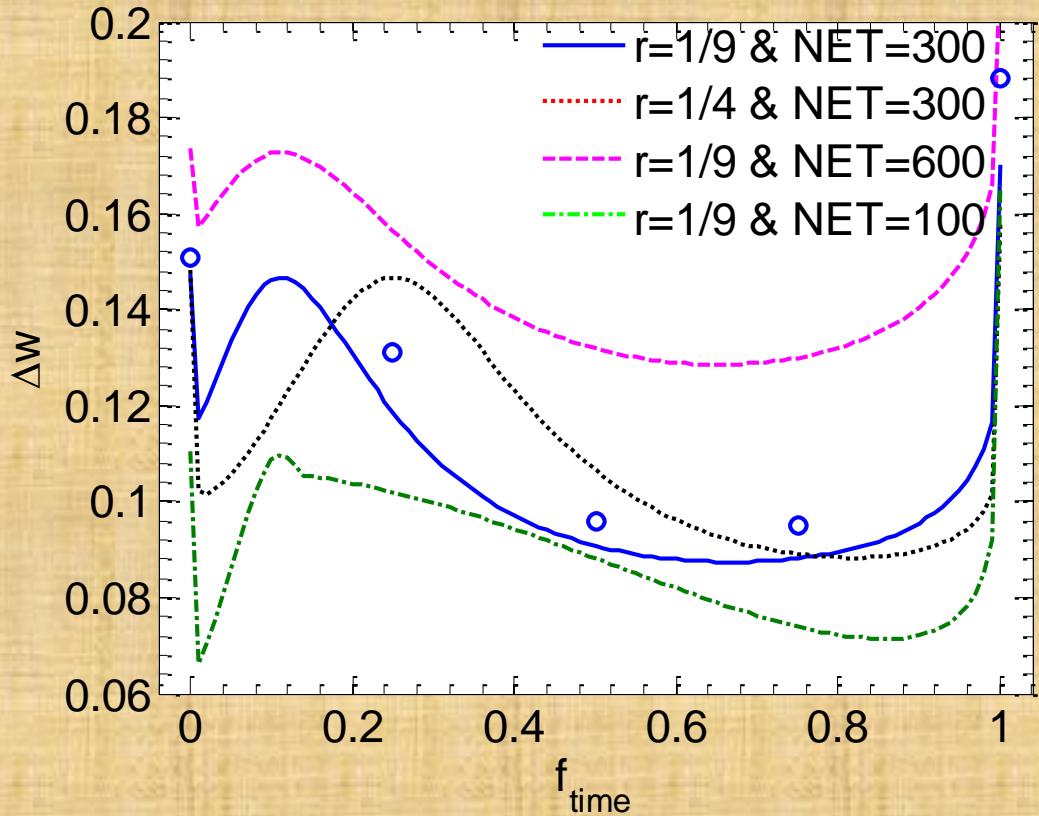
# Breaking parameter degeneracy with a 2-component survey



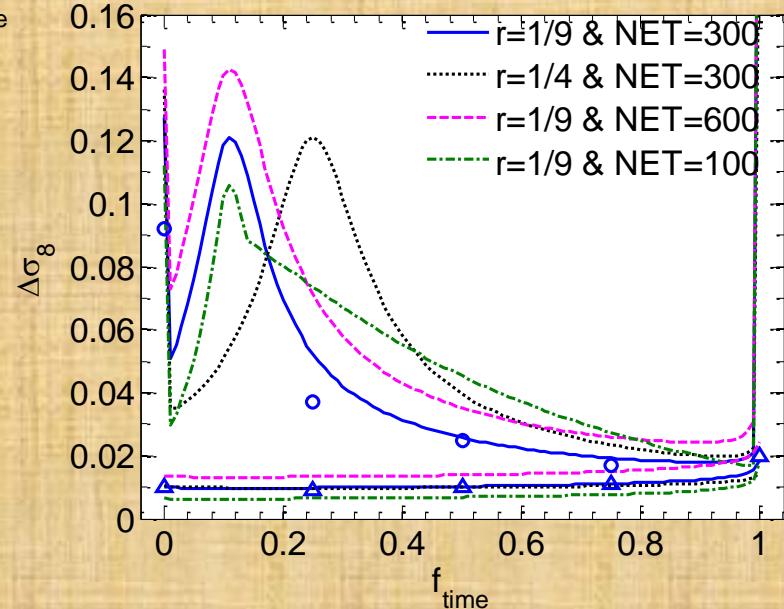
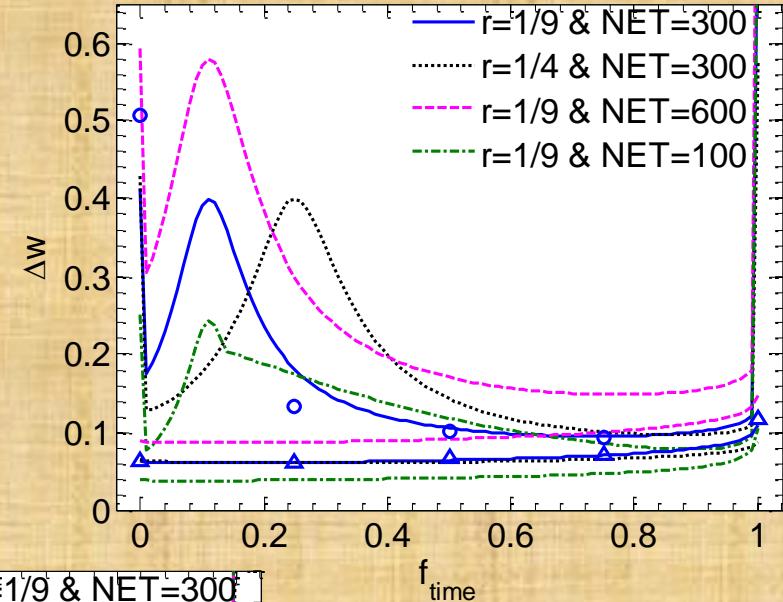
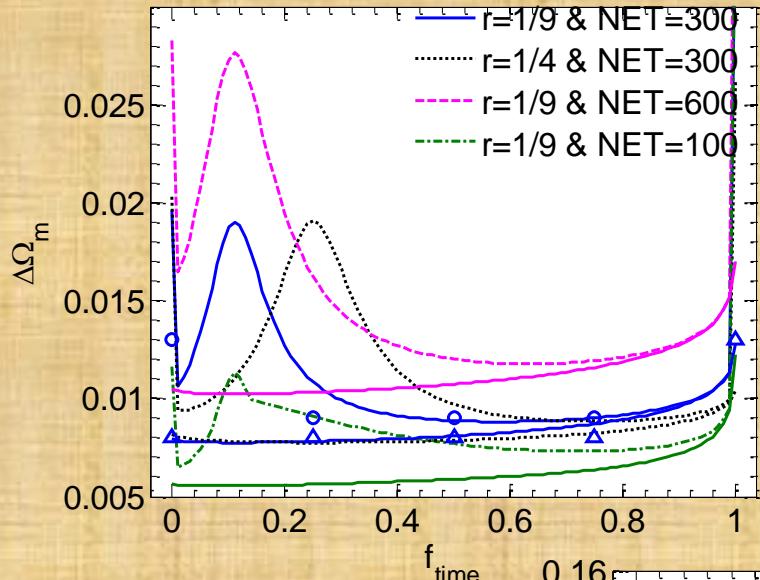
# Constraints from only $d\eta/dz$



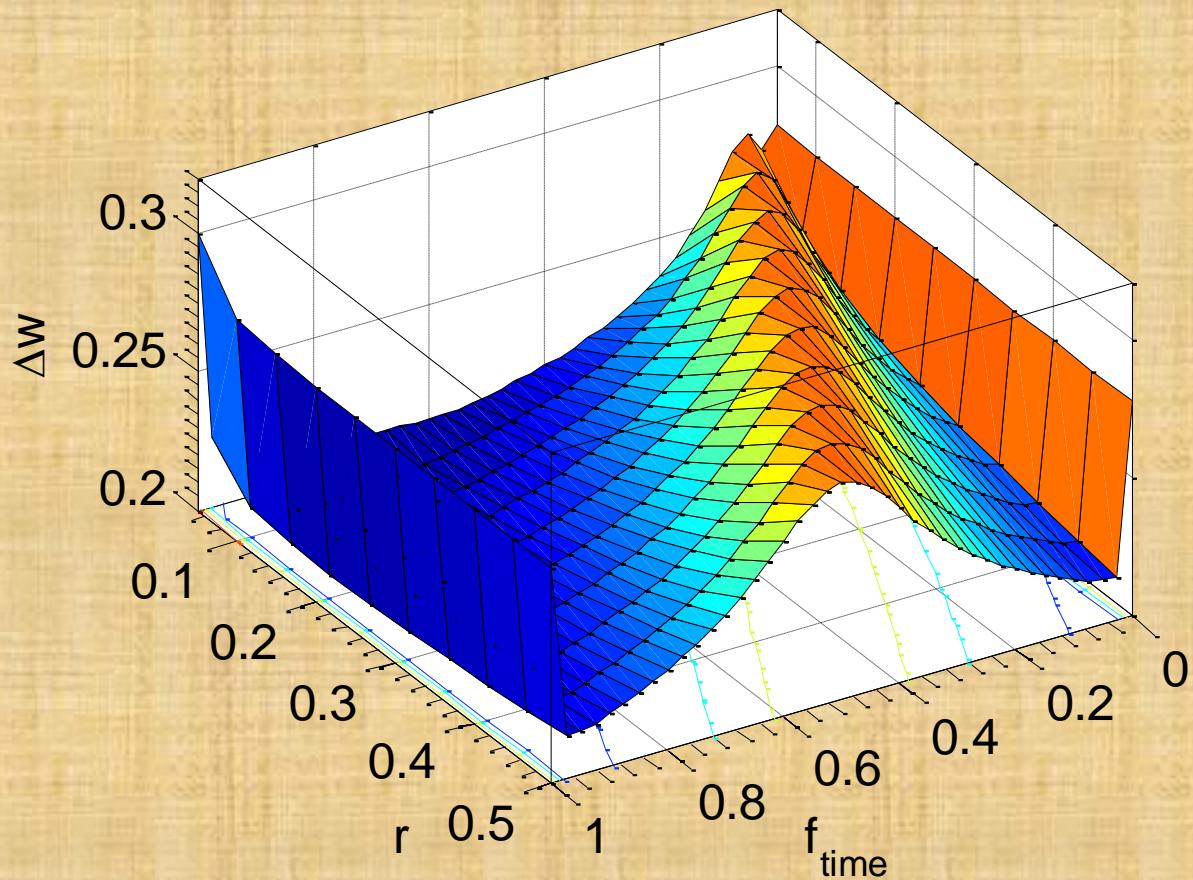
# Constraints from $dn/dz$ + followup



# Known Scaling, Unknown Evolution



# Varying the ratios of areas



# Results

*Known  
Scaling,  
Unknown  
Cluster  
Evolution*

	dn/dz	dn/dz + follow up	2 – comp* dn/dz
$\Omega_m$	0.772	0.032	0.105
$w$	1.406	0.147	0.115
$\sigma_8$	3.311	0.028	0.116
	A, $\alpha$ - fixed	A, $\alpha$ , $\gamma$ - fixed	2 – comp* A, $\alpha$ - fixed
$\Omega_m$	0.019	0.008	0.009
$w$	0.400	0.060	0.095
$\sigma_8$	0.121	0.010	0.019

$$* f_{\text{time}} = 0.75$$

# Conclusions

1. The **degeneracy directions** of a deep and wide survey are very **different**.
2. Having a Deep + Wide survey is very effective at **breaking the degeneracy** between Cosmology and cluster physics.
3. Even with a **low yield, tight constraints** may be obtained on  $\Omega_m$ ,  $w$  &  $\sigma_8$  for surveys like the ACT & SPT.
4. Constraints are **comparable** to those from a **follow up** survey.
5. Tight constraints on  $w$  even when the cluster Evolution is unknown.
6. ***No Extra observational effort or cost !!***